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PRINCIPAL QUESTIONS OF THE THEORY OF ADAPTIVE CYBERNETIC

### CONTROL SYSTEMS

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Analogy of Basic Schemes of Conventional and Cybernetic
Systems

bernetic period. Under "cybernetic system" we shall understand systems designed for more complicated tasks than the classical ones of stabilization, program systems or servomechanism, particularly systems with self-changing (or adaptation) of such characteristics as: a) references, b) program, c) parameters, d) law of following or nonlinearity (from type "S" to "N"), e) algorithms, f) probability, g) region of action, h) impulses, i) structure, etc.

when adaption is evaluated by one figure of merit  $\mathcal{P}$ , all systems may be realized by employing the same basic schems with only some variations. The cardinal difference lies in the principle of acting. It is possible to emloy the principle "by disturbances" or the feedback principle ("by output") (fig.1). Combined systems uniting both principles are the most perfect. The theory of combined systems of stabilization /4/, elaborated for conventional unadaptive systems, may with some alternations be applied to combined cybernetic systems. In this paper we consider extremum systems, which automatically find the maximum and minimum of the only figure of merit  $\mathcal{P}$ , and are the most developed examples of cybernetic systems. The reader is assumed to be familiar with four principal shemes of extremum regulators /4/.

Advantages of Combined Systems in . teady State Regimes

Energetical advantages. The output power of the feedback (or "corrector") may be taken about five times less than in systems without compound links after disturbances, the disturbances being equal. The higher the requirements of rigidity of the system, the greater the energetical advantages of the combined systems /4/.

stabilization is facilitated and extended. The real static characteristic AA'A" differs from the astatic  $0_20_2^{\circ}0_2^{\circ}$ . We can get a system having realistism (which is necessary for the voltage drop compensation in a line) or a system having very high values of both rigidity and statism (which is necessary for parallel work of objects).

Extremum systems have a servomotor. The clasest analog is a system of stabilization also possessing a servomotor. We can consider the geometrical place of the extrema in the space  $L\mathcal{P}M$  as the astatic characteristic  $Q_2Q_2Q_2^2$ , and the place of real work (or the hunting centre positions) as the statical characteristic A A A " | Mais the manipulated variable; L — the masin disturbance. Let us approximate the extremum characteristic by a parabola (table 1). We find the equations of statical characteristic A A A " (table 2), and estabilish:

- 1) if  $l_0 = 0$ ,  $c_0 = 0$ ,  $b_1 = 0$ ,  $n_0 = 0$ , we have  $\sum_1 = -m_0 \Phi$ ,  $\frac{d\sum_1}{dM} = \frac{d\Phi}{dM} = 0$  and the system is identical with an astatic one and the characteristics  $AA^*A^*$  and  $O_2O_2^*O_2^*$  coincide.
- 2) Another way for changing the statical characteristic position is tomake use of the compound links  $l_0$  and  $l_0$ . Here it is possible to eliminate the statical error only in a fregimes without error series  $\frac{1}{4}$ , where  $l_0$  =  $\beta_0$  (for conventional systems  $l_0$  =  $\frac{\beta}{\alpha_1}$ ) when  $l_0$  = 0.

Manipulated Variables and Calculation of the "Optimum Compound Characteristic"

To climinate the steady state error  $\Delta_1$  in all regimes without exception we must apply a specially selected nonlinear compound link, characteristic of which we call the "optimum compound characteristic". The method of obtaining such nonlinearity is elaborated in  $\frac{1}{4}/5$ , 6/.

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It is interesting to work out an objective method of detecting disturbances and manipulated variables. In the general aspect it means a method that can furnish a reply to the question: which elements are best manipulated in a system — parameters or nonlinearity, structure or codes of impulses, etc? There are no such methods as yet. A more limited problem consists in settling which of the parameters it is best to change in order to get a more perfect extremum. Here, the optimum transient response may be found by the statistical methods of Wiener /8/ Booton and others. If difficulties are met, some rough approach may be used, correcting by experiment (appendix 1), since this gives a precise answer to the question of the choice of disturbances and manipulated variables and the existence of extremum.

Optimum characteristics have to be known only when constructing systems acting "by disturbances". When constructing feedback systems, it is sufficient to know whether the extremum (for example, the minimum of error) exists or not.

Servomechanisms which self change the gain depending on the frequency and amplitude of the sign=varied signal (fig.1) were tested experimentally. Such signals are received by accommodation systems and so=called correction servomechanisms working in combination with opened control. It has been established that cybernetic systems acting "by disturbances" (fig.1 a) can work stably with a very high average gain factor, several times higher than the value obtained from the stability conditions of conventional, unadaptive systems. As soon as the frequency or the amplitude of signal decreases, the system automatically returns from the precise following regime with high gain, to the noise "smoothening" regime with low gain; the dynamic error decreasing by about 50 per cent.

## Rules for Selecting Schemes of Control Systems

- teristics are stable there is no necessity for using any feedback.

  It is sufficient to use open=cycle control "by disturbances", settled by the "conditions of invariantness".
- 2) When the noises cannot be measured we must use the closed system of feedback, settled by compromise setting or by statistical criteria.
- 3) When only a part of the noises may be measured, or when all the noises are measured but the gain characteristics are not sufficiently stable, we have to use accombined system, settled "by parts" /4/. The setting is meant to include the choice of parameter values as well as the synthesis of the scheme by employing new elements.

These rules hold for conventional unadaptive systems as well as for cybernetic extremum systems. The latter systems have easier conditions of noise measuring. It is not necessary to measure the noise itself, it is sufficient to measure some generalized parameters (for example the frequency k, noise to signal relation \_\_\_\_ etc]). For periodical noise measuring, the signal can be shut off for a very short time (the method of "test impulses"); moreover in combined systems this is more frequently permissible than in uncombined /5. 6/. In the case when cybernetic control is applied to a conventional control system, we are able to consider the cybernetic regulator as secondary, supplementing the basic system for improving its operation. It may act on the feedback cycle of the basic system as well as on its open=cycle. To the secondary cybernetic regulator may be added a cybernetic regulator of the third order, adapting the characteristics of the secondary regulator, etc. Each such regulator achieves a certain step in the iterational solution of the control task (the method

of method of successive approximations). When the system actes ideally (for example, when it is settled by the conditions of invariantness) the accessory cybernetic regulator is unnecessary.

## Advantages of Combined Systems in Dynamic Regimes

If, on taking into account the hunting error, the total error of the system is  $\Delta = \Delta_1 + \Delta_2 + \Delta_3 + \Delta_4$ , where  $\Delta_1$  is the statical error,  $\Delta_4$  the transient error,  $\Delta_3$  - the hunting error,  $\Delta_4$  - the speed error. The combined system has the following advantages in transient responses: the applicability of the invariantness conditions increases, which permits the elimination (or decrease) of statical, transient and speed errors, i.e. the increase of the speed and precision of the system. In contradistinction to the systems acting "by disturbances" only (also possessing great possibilities for satisfying these conditions), a high rigidity  $S=1+\alpha_{\rho}$  may be attained in combined systems, which eliminates errors due to noise for which there are no compound links.

On testing the extremum regulator of the  $(\frac{8\text{team}}{f\text{uel}})$  ratio, acting on the  $(\frac{\text{air}}{f\text{uel}})$  relationship, developed at the Electrical Engineering Institute of the Ukrainian Academy of Sciences for steam boilers, the non-combined system was found to be impracticable (see the Ukrainian journal "Avtomatika", No. 2, 1959).

# Raising of Precision and Speed by Improving Compound Links "by Disturbances"

The fundamental law for setting links "by disturbances" is satisfying the so-called invariantness conditions. Let a linear system be described by the equation  $Q_3(\rho) \mathcal{P} = \mathcal{E}_3(\rho) \mathcal{L}_1 + \mathcal{E}_3''(\rho) \mathcal{L}_2 + \cdots$  where  $a_3(p)$  and  $b_3(p)$  are polynomials with  $p = \frac{d}{dt}$  of order n and m respectively;  $\mathcal{P}$  is the controlled variable;  $L_1$  and  $L_2$  are disturbances. Then the conditions of invariantness can be written in the four forms

presented in table 3.

The movements of the hunting centre of an extremum system with reference self-changing is described by linear equations with constant coefficients in derivatives or differences. For other systems (e.g. these with variable parameters) these equations are the first appreach which is more precise when the departures of the centre are less. Extremal continuous test signal systems are, in essence, systems of stabilization of phase discriminator output voltage (possessing serve) at a constant value close to zero (fig.4). In systems having serve we must distinguish measuring l(p)L and power (direct) l'(p)L compound links. The former acts on the amplifier input, and the latter-directly en the object; In conventional systems and in extremum systems with continuous test signal for satisfying the invariantness conditions, it is possible to choose l(p) and l'(p). The choise of l'(p) is recemended in autohunting and output sampling systems (appendix 2). To satisfy condition (2). To satisfy condition (2") it is sufficient that the optimum compound characteristic and the direct link should be linear. The other elements (e.g.servo) are not involved in the error compensation and thus it does not matter what equation they have.

The idea of complete invariantness belongs to Prof.G.V.Shcipanev /1/. The possibility of the physical realization of dynamic systems (bridge schemes) satisfying the invariantness conditions was estabilished by Acad.V.S.Kulebakin /2/. Automatic control systems (distinguished by unilateral action) were shown by the author to satisfy the invariantness conditions /3/. I.R.Moore's paper /10/ belongs to this trend too. Thus, the practical value of the invariantness theory has been proved. Prof. G.V.Shcipanev's error consisted in assuming the possibility of completely eliminating error in "by output" or feedback systems, whereas in such systems it is only possible to eliminate the stable components of the error by increasing the degree of astatism (form 3a). The latter was eatabilished for uniform motion and uniform

acceleration by N.Minorsky /9/. The rest of the invariantness condition forms (except 3a) may be satisfied in combined system and in systems "by disturbances" only.

structed by V.A.Bogomolov and V.L.Benin at the Electrical Engineering Institute of the Ukrainian SSR Academy of Sciences /4/, and an extremum regulator with feedback was first described in /15/. The first considerable extremum system analyses were made by V.V.Kosakevich (1948) and then by Draper, Li and Lining (1951). The system of steam boiler efficiency regulator mentioned above, developed in 1958 at the Electrical Engineering Institute of the Ukrainian SSR Academy of Sciences /5/, is the first combined extremum system.

Raising Precision and Speed by Improving Feedback Loops

The fundamental law for setting the feedback loops of combined systems is the condition of "compromise setting", when the gain is chosen so that with a sufficient rigidity  $S = 1 + \alpha p$ stability (e.g. c12 0.25) is attained. Statistical methods of optimum transfer function selection may be applied for the same purpose. It must be kept in mind that in systems with serve the ratio speed error), called the "figure of merit", serves as rigidity measure, and the somcalled "degree of stability" cmin /4/ serves as a stability measure. In the case when a conventional control system is used as an cybernetic control object compromise setting. or statistical methods, are employed twice: once, to the main system, and then to the cybernetic regulator itself. The peculiarity of the cybernetic regulator feedback loop synthesis consists in easy signal changing, and the feedback loop scheme and parameters are subject to small char ges only, whereas in conventional systems the feedback loop acheme and parameters are varied (appendix 3).

The basic methods of weak signal reception when noises are present, employed in modern communication systems, are applicable in extremum systems as well (figs. 1, 2, 3, 4). A peculiarity is the application of correlation functions of the "relay type"  $A_{\frac{1}{2}}(\overline{z}) = \frac{1}{T} \int_{-T}^{T} f(t) [A \operatorname{Sign} f(t-\overline{z})] dt$ 

$$K'_{t+1}(\mathcal{T}) = + \int_{-\infty}^{\infty} f(t) [A sign \psi(t-\mathcal{T})] dt$$

instead of the usual proportional type /5/. This permits simpflifying the apparatus. If the rise in the noise proofing attained by the cross correlation method is taken as unity, the effect yielded by other methods, with an equal speed of system may be estimated by the following table:

- method of integration (accumulation) .....1.0
- methods of cress correlation and of signal filtration simultaneously ...... 1.1-1.2
- method of signal complication

(digital radiolocation) ......over 1.5

This order of methods holds for both open channels and when allowing for feedback. These figures have been substantiated by tests on the MH-7 model. The correlator eliminates disturbances on the same principle as the synchrodetector. The advantages of the signal complication method are accounted for by the fact that it increases the quantity of information; a complicated signal being more readily distinguished from interference than a simple one. An example of a system giving K and I letter signals (in Morse code) is shewn in fig.4 Since the signal complication method has not been worked out as yet, and the integration (accumulation) method is rather complicated, the cross correlation method is best for practical purposes /fig.28/.

The basic apparatus necessary for effecting this method is new being Approved For Release 2009/07/23: CIA-RDP80T00246A008000280002-1

produced serially (e.g. BTW regulator of the  $\partial P$  -type) /5/. Extremum control systems, constructed on the basis on this universal regulator, will differ from one another only by the measuring element, producting d.c. voltage proportional to the "figure of merit" (of the extremum)

Orthogonality (Non-correlation) of Two Setting Methods

When the conditions obtained below  $1/2 \neq f(\varphi)$ , i.e.  $Z(\rho) = 0$ Ore 2)  $\delta_3(\rho) = \beta(\rho) + \ell(\rho) + \gamma(\rho) \gamma_2(\rho) \frac{1}{\rho} \ell(\rho) = 0$ 

ving disturbance links are connected with the choice of coefficients of the right side of the system dynamics equations; and the methods of improving closed loops, with the choice of coefficients of the left side (fig.5, showing this, is taken from /3/. The effect of compound links on the stability is not great. The setting of both basic and secondary (cybernetic) combined systems may be effected by the "by parts" method: first, maximum improvement of the clised feedback loop, and then second, of the open compound links by disturbances and noises.

## Appendixes and Tables

## Appendix 1. Example of Method of Choosing Input Variables.

A servesystem which is to be the object of cybernetic control is described by equations of dynamics

$$\Sigma = S - P - m_1 P P$$

$$M = \alpha_1 \Sigma$$

$$(\tau_1 P + 1) P P$$

The system is acted upon simultaneously by signal and noise:  $S(t) = \psi(t) + N(t) \qquad \text{. Applying the rough approach method of}$ G. Dutile /8/, we find that the minimum error is attained when the spectoral densities of signal and interference are equal:  $S_{\psi}(\omega_c) = S_{N}(\omega_c)$  where  $\omega = \omega_c$  is the cut (or limit) frequency of the closed system.  $S_{\psi}(\omega) = \frac{A^2}{\pi} \cdot \frac{2K}{(2K)^2 + \omega^2}$ 

is the sign-varied square signal  $S_{N}(\omega) = a^{2}$ is the white noise,

As the second design equation is an expresion (or plotted function) for the cut frequency, obtained from the above equations of the system elements

$$\omega_{c} = f_{1}(C_{12}, \omega_{o})$$
, where  $C_{12} = \frac{1+\alpha_{p}m_{t}}{2\omega_{o}2}$ ;  $\omega_{o} = \sqrt{\frac{\alpha_{p}}{2}}$ ,  $\alpha_{p} = \alpha_{t}\alpha_{z}$  (2) Solving (1) and (2) graphically we find the monogram /5, 6/1

This monogram answers the following questions:

J. What variables are to be considered as disturbances ( $\frac{A}{K}$  and k)?

2. What parameters are to be manipulated  $(c_{12}$  and  $\omega_0)$ ?

Thus, the rough approach gives exact answers to the principal questions. The momogram also makes it possible to determine appreximately the "optimum compound characteristics"  $C_{12} = \ell_o \left( \frac{A}{a}, K \right)$ . These characteristics may be made more and  $\omega_0 = \ell_0''(\frac{A}{C}, K)$ precise by experiment afterwards.

## Appendix 2, Choice of Compound Links Coefficients by Inveriantness Conditions

For the system of stabilization described by equations:

control law: 
$$\Sigma = \Psi - m(\rho) \Psi - \ell(\rho) L$$

amplifier and serve:  $M = Y_1(\rho) \frac{1}{\rho} \Sigma$ 

object:  $\Psi = A + Y_2(\rho) M - \beta(\rho) L + \ell'(\rho) L$ 

lead (controlled system):  $\Psi = Z(\rho)$ 

load (controlled system):  $\frac{\varphi}{\prime} = \chi(\rho)$ 

we obtain the following characteristical equation (for the variable  $\varphi$ ):  $1+Y_1(\rho)Y_2(\rho)m(\rho)+\frac{\beta(\rho)+\ell'(\rho)+Y_1(\rho)Y_2(\rho)\rho(\rho)}{7(\rho)}=0$ 

Second form of the invariantness cond

$$\beta(P) + \ell'(P) + \gamma_1(P) \gamma_2(P) \frac{1}{P} \ell(P) = 0$$

Whence

when 
$$\ell'(\rho)=0$$
  $\beta(\rho)+\gamma_1(\rho)\gamma_2(\rho)\frac{1}{P}\ell(\rho)=0$  (2')  
when  $\ell(\rho)=0$   $\beta(\rho)+\ell'(\rho)=0$ 

We determine: 1, Conditions 2 and 2 may be realized only in systems where the choice of 1(p) or 1 (p) is possible, i.e. in combined systems and in systems acting by disturbances.

For an extremum system with continuous test signal the following equations hold:

control law:  $\Sigma = -\Theta + \ell(\rho)L$ amplifier:  $\mathcal{U} = Y_{4}(\rho) \Sigma$ serve:  $\mathcal{M} = Y_{1}(\rho) \frac{1}{\rho} \mathcal{U}$ Linear part of object:  $\mathcal{M}_{1} = Y_{2}(\rho) [\mathcal{M} + \ell'(\rho)L]$ nonlinear part of object:  $(\mathcal{P} + \mathcal{P}_{0}) = -\Omega (\mathcal{M}_{1} - \Sigma_{10})^{2}$ phase discriminator (correlator):  $\Theta = Y_{3}(\rho) [\mathcal{M}_{1} - \Sigma_{10}]$ where  $\mathcal{P}_{0} = \delta_{0} + \delta_{1}L$ ,  $\Sigma = C_{0} + \beta L$ 

For variables  $\sum_i \theta_i U_i M$  and  $M_i$ , there is a closed system of linear equations. Let for instance  $V_0(\rho) = V_i V_2 V_3 V_4$ ,  $\frac{1}{V_0(\rho)} = \sqrt{D} + 1$   $U(\rho) = 0$ ,  $C_0 = 0$  Then we obtain:  $(\rho^2 + \alpha_1 \rho + \alpha_2) \theta = (\theta_0 \rho^2 + \theta_1 \rho + \theta_2) L$  Let us take nondimensional timing:  $\omega_0 = \sqrt{\alpha_2}$ ,  $T = \omega_0 t$ ,  $D = \frac{d}{dT}$   $(D^2 + 2C_{12}D + 1) V^2 = (\sqrt{1}D^2 + \sqrt{1}D + 1)L$  where  $C_{12} = \frac{1}{2\sqrt{T}A}$  Solution: 1) when  $L = [L] : \theta = V_0 - e^{-C_{12}T} (\alpha \cos \beta_{12}T + \theta \sin \beta_{12}T)$ ; where  $\alpha = \sqrt{1} + \frac{1}{2} + \frac{1}{2$ 

1. The object consists of inertial and nonlinear parts. The optimum compound characteristic is known:

$$M_i = Y_2(P)[M+\ell'(P)L]$$

and  $M_i = \frac{7}{3}$ , 4

Then in order that when is varied, servo should not be

switched on, it is necessary that:  

$$M_0=0$$
,  $\ell(p)=\frac{5!}{V_1(p)}=\ell+\ell_1p+\ell_2p^2+...+\ell_np^n$ 

2. In an object equivalent circuit, the nonlinear part is placed first, and then the inertial. In this case for a continuous test sigsystem we obtain.

control law:  $\Sigma = -\Theta + \ell(\rho)L$ 

amplifier:  $U = V_4(\rho) \Sigma$ 

 $M = Y_1(\rho) \frac{1}{D} U$ 

nonlinear part of object:  $(M_1 - M_0) = -Q(M - \sum_{20})^2$ linear part object:  $\varphi = V_2(\rho)M_1$ 

phase discriminator (correlator):  $V = V_3(\rho)M_1$ where  $M_{10} = 6_0 - 6_1 L_i \sum_{20} = C_0 + \beta_0 L - \ell_0 L$  or  $\sum_{20} = C_0 + \beta_0 (L_i) + \ell_0 (L_i)$ In this case for complete invariantness, it is sufficient to use compound follow-up link, chosed in accordance with the optimum compound characteristic (when 1(p)=0).

For a linear system:  $\sum_{io} = C_o + \beta_o L - \ell_o L = const.$  or  $\beta_o = \ell_o$ for a nonlinear system:  $\sum_{k=0}^{\infty} C_{k} + \beta_{k} L - \ell_{k}'(L) = Const.$  or  $\beta_{k}(L) = \ell'(L)$ 

In /5, 6/ a method is developed for choosing direct compound link nonlinearity, and the approximate replacement of the by several disturbances link  $\ell'_0(L_1L_2L_3...L_n)$ by a simpler sum of links:  $\ell'_{01}(L_1) + \ell'_{02}(L_2) + \ell'_{03}(L_3) + \cdots + \ell'_{0n}(L_n)$ is discussed.

## Appendix 3. Example of Applying the Statistical Method

Let the extremum regulator with forced hunting (i.e. with medulation or output sampling) change the manipulated variable M by the square iipulses law. The autocorrelating function of such a signal is where k is the frequency. This variable together with interference of "white noise" type, for which  $A_N(\tau) = a^2$ , passes through a circuit (consisting of an object and measuring elements) the impulse function of which is known, e.g.  $W(t) = W e^{-\frac{\pi}{t}}$ (first order object). For better noise=preofing of the system it is necessary, that the interference to signal ratio on the measuring element input should be as small as possible. Using Approved For Release 2009/07/23: CIA-RDP80T00246A008000280002-1

Wiener's formule in a form obtained in Jones' paper /8/ we find:  $W \leq A^2$  $W(t) \leqslant A_{\mu}(t)$ 

The practical conclusion from this example consists in the choice of the optimum number of emitchings-in of the serve per unit of  $K \leqslant \frac{1}{2\tau}$ 

CONTRACTOR OF THE PARTY OF THE	Equations for steady-	Por extremum cystem
lew of regulation	$\Sigma_{i}=-m_{o}\Phi-n_{o}M+\ell_{o}L+kY$	$\Sigma_1 = -m_o \Phi - n_o M + \ell_{a}$
rogulator with propor- tional speed	$pM = a_3 \Sigma_1 = 0$	$\frac{d\Sigma_{i}}{dM}=0$
Object of regulation	$\varphi = \alpha, \Sigma_2 - \beta L$ where: $\Sigma_2 = M + \ell_0' L$	$\varphi - \varphi_0 = -\alpha (Z_{20} - Z_{21})^2$ where: $\varphi_0 = b_0 + b_1 L$ $Z_{20} = C_0 + \beta L$ ; $Z_{21} = M + C_0 L$

		TABLE 2
Statical characteris- tics	.tabilization system	Extremum system
In plane li-l	M= $\xi_0 + \xi_1 L_1$ where: $\xi_0 = \frac{K_0}{\alpha_1 m_0 + n_0} \Upsilon$ $\xi_1 = \frac{m_0 (\beta - \alpha_1 l_0) + l_0}{\alpha_1 m_0 + n_0}$	M= $F_0+F_1L$ where: $S_0=C_0+\frac{n_0}{2am_0}$ $S_1=\beta-\ell_0'$
In plane $\phi$	$ \varphi = \sigma_o - \sigma, M $ where: $ \kappa_o(\beta - \alpha, \ell_o') = \kappa_o(\beta - \alpha, \ell_o') - \ell_o $ $ \kappa_o(\beta - \alpha, \ell_o') - \ell_o $	$ \phi = \sigma_0 - \sigma_1 M $ $ \sigma_0 = \frac{b_0 \xi_1 - b_0 \xi_0 - a_0 \xi_1 - a_0 \beta_0 - a_0 \xi_0}{\xi_0} $ $ \sigma_1 = \frac{b_0 \xi_1 + 2a(\xi_1 - \beta_0 + \xi_0)}{\xi_0} $
In plane Φ —L	$G_{i} = \frac{n_{o}(\beta - \alpha, \ell_{o}) - \alpha, \ell_{o}}{m_{o}(\beta - \alpha, \ell_{o}) - \ell_{e}}$ $\Phi = y_{o} + y_{i} L$ where $y_{o} = \frac{\alpha_{i} K_{o}}{\alpha_{i} m_{o} + n_{o}} Y$	P= yo + y, L where yo= 6, -a(5, -C,)2
Approved For Release 20	γ = <u>h.(β-d.l.) - d. l</u> 009/07/23: CIA-RDP80T00246A00800	$(x, -b, -2a(\xi, +\ell, -\beta)(\xi-c))$

lo. P	orms of invariant	Porms in which the disturbances have to be given	Part of error eliminated	Means of realiza- tiem	
1 $L_{i}(t)=0, L_{2}(t)=0$		no practical importance			
. •	$s(\rho) = 0 \tag{2}$ $(\rho) = 0$	in any form (for nonlinear systems - with a limit by acce- leration /4/)	total error caused by disturbances L <sub>1</sub> and L <sub>2</sub>	control by distur bances and their time derivati- ves	
	(3) $\frac{1}{a_3(\rho)} \cdot L_{\ell}(t) = 0$ (3a)	in the common form, in letters	steady-state component on- ly, caused by all disturban- ces	integral control /9/	
$\frac{\delta_3}{\alpha_3}$ (P) $\frac{1}{2}$ (L(t)=0	$(\epsilon)=0$	The same	steady-state component only caused by one disturbance L <sub>1</sub>	control by disturbances and their time de-	
	(ρ) L <sub>1</sub> (t) + '(ρ) L <sub>2</sub> (t) = .	in numerical form	total error caused by disturbance L <sub>1</sub>	displace- ment dev: ce L <sub>2</sub> (t) (forcing device) and afti- ficial changing of refe- rence in the prog rem sys	

The conditions are real for the linear systems - a) with zero initial conditions of transient response b) when n m

#### Index of the Literature

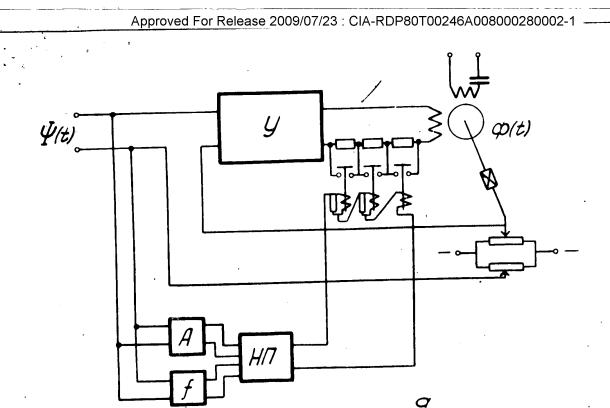
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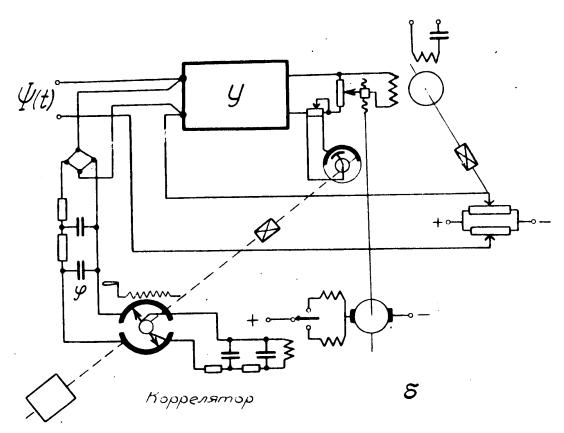
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Pic. 1. Примеры поселособливающихся следящих систем с сомосомонением коэффиценто уссления;

о) по принципу по возмущениям;

б) по принципу по отклонению (сли обочтной связи).

у-измеритель частоты

у-усилитель, А-измеритель эмплитуцы АП-нелиреглами преобостобитель

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